# The genetics of Dacus oleae

### III. Amount of variation at two esterase loci in a Greek population

## BY E. ZOUROS\* AND C. B. KRIMBAS

Department of Genetics, College of Agriculture, Athens, Greece

# (Received 6 June 1969)

### 1. INTRODUCTION

In the last few years several cases of esterase loci with impressively high numbers of electrophoretically distinct forms (alleles) have been reported. Burns & Johnson (1967) reported 13 alleles for the EstE in the butterfly *Colias eurytheme*, Ohba & Sasaki (1968) found five alleles for an esterase in *D. virilis*, while in *D. pseudobscura* (Prakash, Lewontin & Hubby, 1969) twelve alleles have been reported segregating at the Est5 locus. In a previous paper (Zouros, Tsakas & Krimbas, 1968) we reported on the genetics of two unlinked antosomal esterase loci, designated A and B, in the olive fruit fly *Dacus oleae* (Gmel). It was shown that eight alleles were segregating for the A locus and seven for the B. In all of the above cases a 'silent' allele—that is, an allele which does not give any band on the zymogram—was found to be segregating.

Thus among allozyme systems showing enzymic activity the esterase loci contain the greatest number of alleles in a frequency high enough to be found in samples of relatively small size. Another characteristic, the presence of 'silent' allele(s), common to esterase loci seems to be also common for loci with phosphatase activity (Johnson, 1966; Hubby & Lewontin, 1966; Zouros *et al.*, unpublished results). These two well-established features of esterases raise the following questions: (1) What accounts for the large number of alleles present in natural populations? (2) Are the 'silent' alleles equivalent selectively to others or do they confer some deleterious effect on the individuals bearing them?

D. oleae seemed to us to offer good material to answer these questions. Two highly polymorphic esterase loci, each with a 'silent' allele, can be studied simultaneously. Because D. oleae is the main pest of the olive fruit in the Mediterranean, it had been the subject of extensive research work. A great deal of its ecology and ethology is well known. In particular there exists information which permits, as we will discuss later, a rough estimate of the effective population size per orchard. Also considerable work has been done on the dispersion of this fly. This information facilitates population studies of the insect to a certain extent. We will show in this paper that the polymorphism at both esterase loci within a single population is much higher than previously described and will propose high mutation rate as the most reasonable explanation for the maintenance of these polymorphisms. We will

\* Present address: Department of Biology, University of Chicago, Chicago, Illinois 60637.

also present data suggesting that silent alleles do not show any deleterious effect under natural conditions.

### 2. MATERIAL AND METHODS

Live flies were collected from an olive-tree orchard 40 km from Athens. This orchard, 2.5 km long and 0.5 km in width, was selected because it was separated from other olive-tree orchards and was never subjected to sprays by organophosphate insecticides. This was of importance since organophosphate compounds may effect esterase electrophoretic patterns of *D. oleae*, as they do in *Musca domestica* (Van Asperen & Mazijk, 1965).

Flies were trapped in special glass traps which contained a plastic sponge embedded in a lure solution of the following composition: 100 cc water + 5 cc hydrolysed protein (Staley no. 7) + 4 g ammonium sulphate (pH = 4.4).

The captured flies were electrophorized promptly as has been described in the previous paper (Zouros *et al.* 1968). In each gel a fly from a strain segregating only for the  $A_2$ ,  $B_3$  and  $B_4$  alleles was inserted as a mobility standard.

#### 3. RESULTS

About 500 flies were examined: 456 for both loci, plus 18 for the A locus and 13 for the B locus only (in some individuals we could not read clearly either system A or B). Thirteen active alleles plus one 'silent' for the A locus and 11 active alleles plus one 'silent' for the B locus were found in this sample. To be sure that each of these bands represents an allele of the loci mentioned, we attempted to get as much information as possible on the segregation of these genes. We did not attempt, however, a genetic analysis of all the alleles by deriving and crossing homozygous lines, or analysing a very large number of pair matings, in order to obtain segregation data for the most rare alleles. This would be very difficult since D. oleae larvae do not easily develop on any artificial media except fresh olive fruits, which besides being expensive are not available throughout the year. Instead we used females inseminated in nature and their progeny produced in the laboratory. The number of matings of these 'wild' females was unknown.

The data presented in Table 1 are derived from such 'half families', in which the segregation pattern at both loci suggested that only one fertile mating had taken place. For each of these 'half families' a  $\chi^2$  test was performed to measure the deviation from Mendelian expectation. In no case was the value of  $\chi^2$  significant at the 5% level. All chi-squares were consolidated and are summed values for each locus given in Table 1.

In this way we were able to collect segregation data for 12 alleles of the A locus and for nine alleles for the B locus. For three alleles of the A locus, namely  $A_{00}$ ,  $A_0$  and  $A_{01}$  no segregation data are available, but the staining and the appearance of their bands were the same as for the other active alleles of the A locus studied. For the locus B we have no segregation data for the alleles  $B_{45}$ ,  $B_{566}$  and  $B_8$ , but

# The genetics of Dacus oleae. III 251

their heterozygotes form hybrid enzymes with the well-known alleles of the B locus. The  $A_9$  allele, which was segregating in one of these 'half families' was not found in the population sample. We conclude that at least 15 alleles for the A locus and 12 for the B locus were present in the population. Figure 1 in the previous paper (Zouros *et al.* 1968) gives the symbols and the respective positions of all alleles.

Tables 2 and 3 indicate the number of individuals belonging to different pheno-

	No. of 'half families'	Total no. of progeny	No. of alleles		Consolidat	ed
Locus	studied	analysed	tested	$\chi^2$	D.F.	P
A B	28 46	461 721	12 9	38·00 15:60	33 25	0·20-0·30 0·90-0·95
Ъ	40	121	9	19.00	40	0.90-0.90

Table 1. Data on the segregation of the A and B loci

Table 2. The numbers of individuals with different biochemicalphenotypes at the A locus in the population sample

Phenotype	No.	Phenotype	No.	Phenotype	No.
A <sub>00</sub>	1	$A_{12} -$	12	$A_3 -$	5
A <sub>0</sub> A <sub>1</sub>	5	$A_{12}A_2$	17	$A_3A_4$	1
$A_0A_{12}$	1	$A_{12}A_3$	<b>2</b>	$A_3A_5$	3
A <sub>0</sub> A <sub>2</sub>	4	$A_{12}A_5$	1	$A_3A_7$	5
A <sub>0</sub> A <sub>7</sub>	2	$A_{12}A_7$	4	$A_3A_8$	1
$A_{01}A_2$	1	$A_{12}A_8$	1	$A_4 -$	<b>2</b>
$A_1 -$	21	$A_2 -$	139	$A_4A_7$	4
$A_{1}A_{12}$	7	$A_2A_{23}$	2	$A_5 -$	2
$A_1A_2$	61	$A_2A_3$	30	$A_5A_6$	1
$A_{1}A_{23}$	2	$A_2A_4$	11	$A_5A_7$	4
A <sub>1</sub> A <sub>3</sub>	4	$A_2A_5$	10	$A_6A_7$	$^{2}$
A <sub>1</sub> A <sub>4</sub>	6	$A_2A_6$	3	$A_7 -$	7
$A_1A_5$	<b>2</b>	$A_2A_7$	34	A <sub>7</sub> A <sub>8</sub>	9
$A_1 A_6$	2	$A_2A_8$	11	$A_8 -$	2
$A_1A_7$	8	A23-	1	$A_s A_s$	13
$A_1A_8$	5	$A_{23}A_8$	3	Total	474

 Table 3. The numbers of individuals with different biochemical

 phenotypes at the B locus in the population sample

Phenotype	No.	Phenotype	No.	Phenotype	No.
B₁B₄	1	$B_3B_6$	12	$B_{45}B_{6}$	3
$\mathbf{B_2}$ –	2	$B_3B_7$	<b>2</b>	B45B7	3
$B_2B_4$	<b>22</b>	B4	203	B <sub>5</sub> -	2
$B_2B_{45}$	<b>2</b>	$B_4B_{45}$	20	B <sub>5</sub> B <sub>6</sub>	4
$B_2B_5$	2	$B_4B_5$	22	$\mathbf{B}_{5}\mathbf{B}_{7}$	3
$B_{2}B_{56}$	2	$B_4B_{56}$	10	B <sub>6</sub>	8
$B_{2}B_{566}$	1	$B_{4}B_{566}$	3	$\mathbf{B}_{\mathbf{f}}\mathbf{B}_{\mathbf{f}}$	1
B <sub>2</sub> B <sub>6</sub>	7	$B_4B_6$	42	B,	9
$B_2B_7$	6	$B_4B_7$	65	B,B,	1
$B_3 -$	4	$B_4B_8$	2	$\mathbf{B}_{\mathbf{s}}\mathbf{B}_{\mathbf{s}}$	2
B <sub>3</sub> B <sub>4</sub>	11	$B_{45}B_5$	2	Total	469

types found in our sample for A and B locus. Forty-seven different phenotypes were detected for the A locus, 32 for the B locus and 172 for both loci.

A problem arose in the estimation of allele frequencies due to the presence of silent alleles. Gene frequency estimation cannot be based on a simple counting of genessince the genotypes  $A_iA_i$  and  $A_iA_s$  are not distinguishable (where  $A_i$  is any active and  $A_s$  is the 'silent' allele). The same problem arises for the B locus. This difficulty is directly connected with our major problem on the behaviour of 'silent' alleles in natural populations. Since heterozygotes for  $A_s$  and  $B_s$  are not distinguishable the only way to detect any deleterious effect of the 'silent' alleles is to compare the number of homozygotes  $A_sA_s$  and  $B_sB_s$  observed with that expected in a random mating population, where no selective forces are operating. For this purpose our estimation must not be based at all on the  $A_sA_s$  or  $B_sB_s$  classes. For the same reason we prefer to underestimate the frequency of the 'silent' alleles rather than to overestimate it, since any overestimate would lead to the conclusion that in nature  $A_sA_s$  and  $B_sB_s$  individuals are in lower than expected frequency.

These requirements are met by using the simple algebraic formula

$$(A_i - ) + \sum_j (A_i A_j) = p_i^2 + 2p_i(1 - p_i),$$

which is derived by assuming panmixia and makes use of the  $(A_i -)$  and  $(A_iA_j)$  classes  $(A_i \text{ and } A_j \text{ are active alleles})$ , which together constitute 97.3% of the whole sample for the A locus and 99.5% for the B locus. The calculated frequencies are indicated in Table 4. Alleles marked with an asterisk are calculated by a direct count. The frequency of  $A_s$  and  $B_s$  was calculated by subtracting the sum of the frequencies of all active alleles from unity.

Another estimation of the allelic frequencies was based upon maximum likelihood. As the algebraic computations were quite complicated we used a digital computer. The solution given for the A locus was very close to that calculated by the previous method. As far as the frequency of  $A_s$  is concerned the values are very close in both cases: 0.119 by the algebraic method, 0.123 by the computer.

The allelic frequencies at both loci show a similar pattern of distribution. One allele ( $A_2$  or  $B_4$ ) has a frequency close to 50 %, four alleles at the A locus and two at the B have frequencies between 5% and 15%, five alleles at A and six at B have frequencies between 1% and 5%, and finally four alleles at A and three at B have frequencies less than 1%.

According to the calculated frequencies of  $A_s$ , the expected number of  $A_sA_s$ individuals in the sample is seven. We observed 13 such individuals, that is almost twice as many as expected. This is contrary to that expected if homozygotes for the 'silent' alleles had a lower fitness than homozygotes or heterozygotes for the active alleles. It is possible that a small number of individuals which did not show any band of the A system were not genotypically  $A_sA_s$ , since it has been observed that sometimes individuals bearing one active allele do not show a discernible band on the zymogram. The conclusion, however, remains that the number of observed  $A_sA_s$  flies were by no means lower than expected.

The calculated allelic frequencies were used in order to test the hypothesis that

both loci were independently in Hardy-Weinberg equilibrium. In these tests the sum of the expected numbers of genotypes  $A_1A_1$  and  $A_1A_s$  was compared with the observed number of the phenotype  $(A_1 -)$ . Classes with expected number lower than 5 were pooled together into one class. For the A locus  $\chi^2 = 18.38$  for 8 D.F. so that 0.01 < P < 0.02. The deviation from Hardy-Weinberg equilibrium is mainly due to the fact that  $A_sA_s$  are more frequent than expected and contribute 5.14 units to the  $\chi^2$ . Locus B does not depart from Hardy-Weinberg equilibrium:  $\chi^2 = 4.45$  for 2 D.F. so that 0.05 < P < 0.10.

A locus		B locus		
*A <sub>00</sub>	0.001	*B1	0.001	
*A <sub>0</sub>	0.013	$\mathbf{B_2}^{-}$	0.048	
*A <sub>61</sub>	0.001	$\mathbf{B}_{3}$	0.020	
$\mathbf{A}_{1}$	0.139	$\mathbf{B}_{4}$	0.622	
$A_{12}$	0.049	*B <sub>45</sub>	0.032	
$A_2$	0.436	$\mathbf{B}_{5}$	0.037	
$A_{23}$	0.008	*B <sub>56</sub>	0.013	
$A_3$	0.055	*B <sub>566</sub>	0.004	
A <sub>4</sub>	0.025	$\mathbf{B}_{6}$	0.076	
A <sub>5</sub>	0.025	B <sub>7</sub>	0.100	
*A <sub>6</sub>	0.008	*B <sub>8</sub>	0.003	
A <sub>7</sub>	0.087	B	0.044	
A <sub>8</sub>	0.034	Total	1.000	
A <sub>9</sub>	—			
As	0.119			
Total	1.000			

Table 4. Gene frequencies in the sample of the natural population

### 4. DISCUSSION

The number of alleles of the two esterase loci reported here are certainly underestimated. In a sample of nearby 1000 genes two alleles  $(A_{00} \text{ and } A_{01})$  were found just once, while another allele  $(A_{\theta})$  was not found at all. It might well be expected that a larger sample would reveal the presence of additional rather rare alleles. It must also be pointed out that our direct analysis of the sample gives a representative picture of the population at the time of sampling. This is essentially the only way to study multiallelic systems in natural populations, since any attempt to culture the sample would result in loss of alleles with low frequency and in subsequent alteration of the frequency of the remaining ones.

The problem of understanding the maintenance of abundant genic heterozygosity in natural populations is illustrated by numerous works on a variety of loci (Lewontin & Hubby, 1966; Harris, 1966; Johnson *et al.* 1966; O'Brien & Mc-Intyre, 1969; Selander & Yang, 1969). But even at a single locus the evolution and maintenance in a single population of such a large number of alleles, many of them in a very low frequency, is not easily explained.

By a series of experiments conducted by the Greek Ministry of Agriculture (unpublished) an attempt was made to estimate the size of D. *oleae* populations in olive-tree orchards at the time of their minimum density. It was found that the

# E. ZOUROS AND C. B. KRIMBAS

number of flies per olive tree at that time is between one and ten, varying greatly, as expected, among orchards. These observations can provide a basis for a rough estimation of the effective size  $(N_e)$  of our population. *D. oleae* populations undergo great seasonal changes (Orphanidis & Soultanopoulos, 1962), but it is well known that  $N_e$  stands very close to the minimum value of the population size. The orchard where the flies were trapped contains approximately 2000 trees. The effective size then of the population can be estimated as between  $2 \times 10^3$  and  $2 \times 10^4$ .

Another parameter we can calculate from our data is the effective number  $(n_e)$  of alleles at each locus. By applying the formula

$$n_e = \frac{1}{\sum_i p_i^2}$$

where  $p_i$  stands for the frequency of any allele, we found  $4 \cdot 2$  for the effective number of alleles for the A locus and  $2 \cdot 4$  for the B locus.

Kimura (1956) and Mandel (1959) discussed the conditions under which a multiallelic heterotic system can be maintained in stable equilibrium. Using the models provided by Wright (1966) one can arrive at the observed effective number of alleles making use of the mentioned values of  $N_e$  and giving reasonable values to mutation rate (u) and to selection coefficient (t). This selection coefficient represents in this case an averaged value over all the different homozygotes. It seems, however, unlikely that so many alleles, the majority of which have a frequency less than 5%, could be maintained by the effect of overdominance alone. Robertson (1962) has shown that in a finite population heterosis cannot easily account for the maintenance of alleles with an equilibrium frequency outside the range 0.2-0.8. In the case of overdominance the effect of random drift in eliminating alleles of low frequencies is more efficient than in the case of neutrality. Robertson's analysis was restricted to two alleles but one can expect the results to be more pronounced for more alleles (Kimura & Crow, 1964), since the effect of random drift increases with the number of alleles. Under such conditions one can hardly expect to find heterotic alleles in a population with an equilibrium frequency lower than 0.05, unless one assumes relatively large values for t.

The alternative hypothesis of selectively neutral or very nearly neutral isoalleles seems to provide a better explanation of the observed polymorphism at these two loci. In testing the Hardy-Weinberg hypothesis we did not find any excess of heterozygotes at either of the two loci. The hypothesis of neutrality can moreover perfectly account for the pattern of the allelic frequency distribution observed. In this case one expects one allele to be in high frequency and a few in intermediate frequencies, while many of them will be in low frequencies (Kimura, 1968). This is the pattern we found for both esterase loci of D. oleae, as well as Ohba & Sasaki (1968) for the Est2 of D. virilis. Additional observations exist suggesting that other esterase systems also are selectively neutral. This is the case for the Est6 locus of D. melanogaster and D. simulans (McIntyre & Wright, 1966), although Kojima & Yarbrough (1967) and Yarbrough & Kojima (1967) proposed frequency dependent selection for the same locus, with selective neutrality at equilibrium.

There exist some observations, however, which do not support the hypothesis of neutrality of esterase alleles in D. oleae. In the case of neutrality one expects to find the same allele in different frequencies, if looked at in different populations, merely due to random drift. In studying the genetics of different alleles (see crosses in Zouros et al. 1968) individuals coming from different parts of Greece were analysed. In almost all cases the  $A_2$  and the  $B_4$  alleles were the most frequent. We cannot, however, consider this fact as disproof of the hypothesis of neutral or nearly neutral isoalleles, since it might be a result of a small amount of migration. In fact, thinking in terms of long periods of time, not a great number of migrating individuals is required for such a result. There exists some information on the dispersion of this insect. Pelecassis (1962) and Orphanidis, Soultanopoulos & Karandinou (1962), using radioactive phosphorus as a label, found that D. oleae flies did not travel farther than a distance of 4.5 km during the period of their observations. The orchard from which our sample was taken is separated from other orchards by a distance greater than this. However, we must not forget that D. oleae is commensal with man, who possibly accounts for the dispersion of the insect (by olive-fruit transportation, etc.) more than the fly itself.

In the absence of a large amount of migration and strong heterotic effect a relatively high mutation rate is required, in order to balance the effect of random drift in reducing the number of alleles. This effect of random drift increases greatly as the number of alleles increases, being roughly proportional to the square of the number of alleles (Kimura, 1955). Kimura & Crow (1964) pointed out that in neutral isoallelic systems, if the quantity  $4N_e u$  is greater than unity more than half of the individuals in the population will be heterozygous. This is clearly the case for both of the esterase loci we studied in D. oleae. Using our conservative frequency estimate of  $A_s$  we calculated that 359 out of 474 analysed flies, that is three-quarters of the sample, were heterozygous at the A locus. Even if all (A, -)flies were homozygous, which certainly is not the case, the number of heterozygotes  $(A_1A_1)$  would still be significantly greater than half of the sample (269 in 474). For the B locus we calculated that 277 out of 469 individuals were heterozygous. again significantly greater than one-half. Using the upper estimate of the effective population size—that is,  $2 \times 10^4$ —we conclude that the mutation rate has to be greater than  $1.25 \times 10^{-5}$  for both loci. By applying the formula  $n_e = 4N_e u + 1$  and using this upper estimate of  $N_e$  we get  $u = 4 \times 10^{-5}$  for locus A and  $u = 1.75 \times 10^{-5}$ for locus B. These values of u represent our most conservative estimates of the mutation rate at these esterase loci. With an effective population size of  $2 \times 10^3$ , which does not seem unreasonable, these values become ten times higher.

It seems therefore that for both EstA and EstB of D. oleae the mutation rate should be relatively high compared to the mutation rates for visible mutants, where it is considered to be about  $10^{-6}$ . Whether it is true for other allozyme systems or not it is difficult to say, but one tends to believe that it could hold for the majority of esterase loci, at least as far as insects are concerned. It is possible that the molecular structure of esterases permits many amino acid changes without destroying the enzymic activity and without affecting the fitness of individuals bearing them. For enzymes which are polymeric, as is EstB in our case, there might be less chance for non-deleterious mutations, since some changes could affect the ability of the subunits to combine into active polymeres. An alternative hypothesis would be that the configuration of the molecule of these esterases is such that single amino acid substitutions result in a change of the electrophoretic mobility more often than happens with other proteins. In both cases we are dealing with 'incomplete synonymous mutations' (Kimura, 1968), which happen to be electrophoretically distinct. Kimura emphasized the high frequency expected for such mutations in nature.

In EstE of Colias eurytheme a 'silent' allele is the most frequent one, but at most one homozygote for this allele was found in nature (Burns & Johnson, 1967). On the other hand every individual of D. virilis always turned out to be homozygous for the 'silent' allele for five out of its six esterase loci with the same substrate specificity. A strain homozygous for the 'silent' allele at all loci was obtained in the laboratory, however (Ohba & Sasaki, 1968). We have also obtained  $A_sA_s$  individuals of D. oleae in the laboratory. But  $A_sA_s$  and  $B_sB_s$  homozygotes were also found in the natural population studied. Their number was by no means lower than expected on the basis of the estimate of the  $A_s$  and  $B_s$  allele frequencies, so we can conclude that under natural conditions these 'silent' alleles do not have any detrimental effect on the individuals bearing them.

It is possible that in reality we are dealing more with a class of silent alleles rather than with a single allele. In most species studied a number of bands with esterase activity are present on the zymogram. It would seem possible that homozygotes for the silent alleles at one or more loci can survive because the individual carries several other genes having the same enzymic activity. From this point of view we would like to know if  $A_sA_sB_sB_s$  individuals can survive. This genotype is, however, too rare to be found in a sample of 500 flies. It is also very difficult to obtain it in the laboratory since *D. oleae* is not a good species for pair mating cultures on artificial media.

### SUMMARY

Two polymorphic esterase loci, EstA and EstB, of the olive-fruit fly *Dacus oleae* were studied in a natural population. The analysis of about 500 individuals revealed the presence of 15 alleles for EstA and 12 alleles for EstB. A 'silent' allele was found segregating at both loci. Segregation data for most of the alleles are presented. The allele frequency distribution follows the same pattern at both loci: one allele of each gene has a frequency of nearly 0.50, a few have frequencies between 0.05 and 0.15 and many are below 0.05. Two main hypotheses, those of overdominance and selective neutrality, were examined in order to explain these polymorphisms. We deduced that under both hypotheses a relatively high mutation rate is necessary to balance the result of random drift. This rate was estimated to be higher than  $4 \times 10^{-5}$  for the EstA locus. Since homozygotes for the 'silent' allele at the first or at the second locus were found in the population in expected frequencies, it was concluded that these alleles are not inferior to active ones under natural conditions.

We would like to express our gratitude to the Rockefeller Foundation for a grant given to one of us (C. B. K.) that permitted the purchase of all basic research equipment of the Department of Genetics, as well as to the Hellenic Ministry of Agriculture which provided the money defraying this special research programme as a part of the research programme for eradication of *Dacus oleae* by ionizing radiation. We would also like to thank 'Democritos Nuclear Research Center' for permitting us to use their computer, as well as Dr Delighiannis and Dr Philippas who helped with the estimation of gene frequencies. We are indebted to Professor R. C. Lewontin and Dr S. Prakash for valuable suggestions and to Dr G. Carmody who helped in the preparation of the manuscript. The reprint costs have been paid by Dr R. C. Lewontin's grant from the Dr Wallace C. and Clara A. Abbott Memorial Fund of the University of Chicago.

#### REFERENCES

- BURNS, J. M. & JOHNSON, F. M. (1967). Esterase polymorphism in natural populations of a sulphur butterfly Colias eurytheme. Science, N.Y. 156, 93-96.
- HARRIS, H. (1966). Enzyme polymorphisms in man. Proc. R. Soc. B 164, 298-310.
- HUBBY, J. L. & LEWONTIN, R. C. (1966). A molecular approach to the study of genic heterozygosity in natural populations. I. The number of alleles at different loci in *Drosophila pseudoobscura*. *Genetics* 54, 577–594.
- JOHNSON, F. M. (1966). Drosophila melanogaster: inheritance of a deficiency of alkaline phosphatase in larvae. Science, N.Y. 152, 361-362.
- JOHNSON, F. M., KANAPI, C. G., RICHARDSON, R. H., WHEELER, M. R. & STONE, W. S. (1966). An analysis of polymorphisms among isozyme loci in dark and light *Drosophila ananassae* strains from American and Western Samoa. *Proc. natn. Acad. Sci. U.S.A.* 56, 119–125.
- KIMURA, M. (1955). Random drift in a multi-allelic locus. Evolution 9, 414-435.
- KIMURA, M. (1956). Rules for testing the stability of a selective polymorphism. Proc. natn. Acad. Sci. U.S.A. 42, 336-340.
- KIMURA, M. (1968). Genetic variability maintained in a finite population due to mutational production of neutral and nearly neutral isoalleles. *Genet. Res., Camb.* 11, 247-269.
- KIMURA, M. & CROW, J. F. (1964). The number of alleles that can be maintained in a finite population. Genetics 44, 725-738.
- KOJIMA, K. & YARBROUGH, K. M. (1967). Frequency dependent selection at the Esterase 6 locus in Drosophila melanogaster. Proc. natn. Acad. Sci. U.S.A. 57, 645-649.
- LEWONTIN, R. C. & HUBBY, J. L. (1966). A molecular approach to the study of genic heterozygosity in natural populations. II. Amount of variation and degree of heterozygosity of natural populations of *Drosophila pseudoobscura*. Genetics **45**, 545-609.
- MANDEL, S. P. H. (1959). The stability of multiple allelic system. Heredity 13, 289-302.
- MCINTYRE, R. T. & WRIGHT, T. R. F. (1966). Responses of Esterase 6 alleles of Drosophila melanogaster and D. simulans to selection in experimental populations. Genetics 53, 371-387.
- O'BRIEN, S. T. & MCINTYRE, R. T. (1969). An analysis of gene-enzyme variability in natural populations of *Drosophila melanogaster* and *Drosophila simulans*. Am. Nat. 103, 97-113.
- OHBA, S. & SASAKI, F. (1968). Esterase isozyme polymorphisms in Drosophila virilis populations. Proc. XII Int. Congr. Genet. vol. II, pp. 156-157.
- ORPHANIDIS, P. S. & SOULTANOPOULOS, C. D. (1962). Observations on the population density of some insects living in olive tree orchards in 1961. Act. Benaki Phyt. Inst. 4, 288-294.
- ORPHANIDIS, P. S., SOULTANOPOULOS, C. D. & KARANDINOU, M. G. (1962). Preliminary experiment with radioactive phosphorus on the dispersal of *Dacus oleae*. Act. Benaki Phyt. Inst. 4, 295–298.
- PELECASSIS, C. E. D. (1962). Preliminary investigations on the flight and migration of *Dacus* oleae by marking the natural population with radioactive phosphorus. Act. Benaki Phyt. Inst. 4, 310-320.
- PRAKASH, S., LEWONTIN, R. C. & HUBBY, J. L. (1969). A molecular approach to the study of genic heterozygosity in natural populations. IV. Patterns of genic variation in central, marginal and isolated populations of *Drosophila pseudoobscura*. Genetics 61, 841-858.
- ROBERTSON, A. (1962). Selection for heterozygotes in small populations. Genetics 47, 1291-1300.

- SELANDER, R. K. & YANG, S. Y. (1969). Protein polymorphism and genic heterozygosity in a wild population of the house mouse (*Mus musculus*). *Genetics* (in the Press).
- VAN ASPEREN, K. & MAZIJK, M. E. (1965). Agar gel electrophoretic patterns in houseflies. Nature, Lond. 205, 1291-1292.
- WRIGHT, S. (1966). Polyallelic random drift in relation to evolution. Proc. natn. Acad. Sci. U.S.A. 55, 1074-1081.
- YARBROUGH, K. & KOJIMA, K. (1967). The mode of selection at the polymorphic Esterase 6 locus in cage populations of *Drosophila melanogaster*. Genetics 57, 677-686.
- ZOUROS, E., TSAKAS, S. & KRIMBAS, C. B. (1968). The genetics of Dacus oleae. II. The genetics of two adult esterases. Genet. Res., Camb. 12, 1-9.