It follows by induction that

 $x_{2n} = \frac{2^{2n} + 2}{3}, \quad x_{2n+1} = \frac{2^{2n+1} + 1}{3}, \quad y_{2n} = \frac{2^{2n} - 1}{3}, \quad y_{2n+1} = \frac{2^{2n+1} - 2}{3},$ and for all *n*,

$$x_n - y_n = 1.$$

**On: Two remarks about Sudoku squares:** The author regrets to say that Figure 5 on page 426 is strongly (not weakly) completable. In the top right subsquare, the cell (3, 9) must contain 5 because 5 cannot occur in the 2nd row or 8th column. In the bottom right subsquare, the entry in the cell (8, 9) is forced to be 1 because 1 cannot go elsewhere in the 8th row.

## Correspondence

DEAR EDITOR,

## Just a coincidence?

Is any significance to be ascribed to the fact that an equilateral triangle with sides of length  $\pi$  has medians of length e, to within an accuracy of better than 1 part in 1000?  $[(\sqrt{3}\pi)/(2e) \approx 1.00089]$ .

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