# WIDE FIELD MAPPING OF 5C12 

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## INTRODUCTION

The existing method of producing radio maps from interferometric data set is based on the assumption that there is a two dimensional fourier transform relationship between the sky brightness and the measured visibility. In mapping of a very wide field, this basic assumption breaks down due to various practical problems, e.g. bandwidth smearing. We present a wide-field mapping technique which is aimed at resolving some of these problems. This technique has been successfully applied to our MERLIN observations of the 5C12 region covering an area of $1800^{\prime \prime} \times 1800$ ".

## THE OBSERVATION AND MAPPING PROCEDURE

The observation was made with the MERLIN array in 1983 at 408 MHz , using the multichannel mode ( 20 channels). The MERLIN data were read into the astronomical image processing system (AIPS). The maps presented in this paper have been produced on the Convex C1 computer with AIPS. The mapping procedure is summarized below.


Fig. 1. 5C12 mapping sequence.
(1) Calibration source $(0202+14 \mathrm{R})$.
(2) MERLIN data.
(3) Calibrate ( $0202+14 \mathrm{R}$ ) and (4) Calibrate MERLIN data.
(5) Correct bandpass with calibration source $0202+14 R$.
(6) Remove four noisy channels $(1,2,19,20)$.
(7) Rotate to the reference source ( 5 C 12.216 ) and average in frequency.
(8) Average in time to reduce the number of visibility points.
(9) Do phase solution.
(10) Divide the whole field to 16 subfields, deconvolve with CLEAN and map.
(11) Apply solution to original data set.
(12) Map again. Repeat until final CLEAN maps are produced.

## RESULT AND DISCUSSION

The resulting maps have a dynamic range of $1000: 1$. The position of the sources identified has good agreement with those in the Cambridge catalog (see TABLE I below).

TABLE I Source positions (Cambridge) and Flux density

| Source | Positions |  | $\begin{aligned} & \text { Flux } \\ & (\mathrm{inJyy}) \end{aligned}$ |
| :---: | :---: | :---: | :---: |
|  | $\alpha(1950.0)$ | $\delta(1950.0)$ |  |
| 5C12.163 | 125857.56 | 353511.8 | 30 |
| 5C12.188 | 130006.06 | 350926.2 | 111 |
| 5 C 12.182 | 135945.34 | 351246.8 | 151 |
| 5C12.216 | 130132.92 | 352555.2 | 933 |
| 5 C 12.214 | 130132.50 | 353443.0 | 24 |
| 5 C 12.230 | 130213.80 | 353937.0 | 743 |
| 5 C 12.196 | 130033.82 | 360616.2 | 596 |
| 5C12.220 | 130140.40 | 351605.0 | 39 |
| 5 C 12.242 | 130259.00 | 351539.0 | 386 |
| 5 C 12.207 | 130110.41 | 345752.0 | 19 |
| 5 C 12.192 | 130023.15 | 351358.0 | 36 |
| 5 C 12.227 | 130207.50 | 345649.0 | 16 |
| 5¢12.203 | 130049.34 | 351354.7 | 12 |
| 5 C 12.193 | 130025.13 | 354424.9 | 98 |
| 5 C 12.200 | 130043.23 | 353839.7 | 22 |
| 5C12.234 | 130231.60 | 351552.0 | 57 |

The effect of bandwidth smearing was resolved in stage 5, of our mapping procedure. However, the problem due to sky curvature still remains unsolverl and it is reflected as elongated structures in some of the sources (e.g., $5(1 / 12.2 \cdot 12$ and $5(12.230)$ located far away from the reference source ( $5(: 12.216$ ). 'The solution of this problem would require the development of a three-dimensional CLEAN algorithm. However, the computational effort and cost for such work would be very high.


Fig. 2. 5C12 maps (X-axis is right ascension, Y -axis is declination)


