

# Cross-correlating spectroscopic and photometric galaxy surveys

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**Abstract.** Does photometric and spectroscopic survey benefit from overlapping areas? The photometric survey measures 2D Weak Lensing (WL) information from galaxy shape distortions. On the other hand, the higher redshift precision of a spectroscopic survey allows measurements of redshift space distortions (RSD) and baryonic acoustic oscillations (BAO) from 3D galaxy counts.

The two surveys are combined using 2D-correlations, using sufficiently narrow bins to capture the radial information. This poster present effects of RSD and intrinsic correlations between narrow redshift bins. In understanding how the effects affects cosmological constrains, we first define two stage-IV and then present forecast for various configurations. When surveys overlap, they benefit from additional cross-correlations and sample variance cancellations from overlapping volumes. For a combined dark energy and growth history figure of merit, the result increase 50% for overlapping surveys, corresponding to 30% larger area.

**Keywords.** galaxies: distances and redshifts, techniques: spectroscopic surveys

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## 1. Introduction

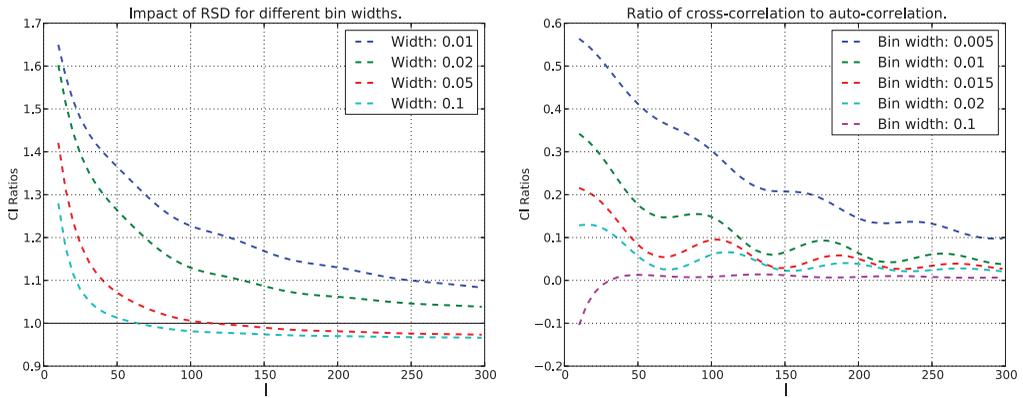
Galaxy surveys provide important insight to properties of dark matter and modified gravity. Photometric surveys target using galaxy shapes to measure weak gravitational lensing, while spectroscopic surveys can probe redshift space distortions (RSD) and baryonic acoustic oscillations (BAO) from excellent redshift information. The probes are powerful separate, but the combination can break parameter degeneracies. In addition the overlapping surveys allow for cross-correlating the observable. The benefit has been investigated by several groups Bernstein & Cai (2011); Gaztañaga et al. (2012); Cai & Bernstein (2012); Kirk et al. (2013); Font-Ribera et al. (2013); de Putter et al. (2013), but with large disagreement. Here we present our results, which is a subset of a series of articles (in preparation) dealing with the modeling (paper-I), forecasts (paper-II), galaxy bias (paper-III) and the same-sky benefit (same-sky paper).

## 2. Modeling

Overdensities of galaxies can be expressed on the form

$$\delta = \delta_I + \delta_r + \delta_\kappa \quad (2.1)$$

where  $\delta_I$  is the intrinsic overdensity,  $\delta_r$  is the redshift space contribution and  $\delta_\kappa$  is the weak lensing magnification. In this work, we forecast the constraint using cross-correlations in narrow redshift bins. The narrow bins capture the bulk of information



**Figure 1.** This figure shows the effect of RSD and intrinsic correlations for different narrow bins. The left panel shows the redshift to real space ratio for an auto-correlation at  $z = 0.5$ . The right panel shows the ratio of a cross-correlation between an adjacent bin and the auto-correlation, with the first bin starting at  $z = 0.5$ .

Parameter	Photometric (F)	Spectroscopic (B)
Area [sq.deg]	14000	14000
Redshift uncertainty	$0.05(1+z)$	$0.001(1+z)$
Magnitude limit	$i < 24.1$	$i < 22.5$
Bin width	$0.07(1+z)$	$0.01(1+z)$
Density [gal/sq.arcmin]	6.5	0.4

**Table 1.** The photometric and spectroscopic survey are modeled as two separate galaxy populations, with a brief description given in the table. The redshift uncertainty given is the Gaussian dispersion and both samples are magnitude limited. For redshift binning, the spectroscopic sample is analyzed using 10 times thinner bins, to properly include radial information.

Asorey et al. (2012), while simplifying the covariance between the surveys and the inclusion of redshift uncertainties.

*Redshift Space Distortions (2D) and intrinsic cross-correlations.*

Fig. 1 shows two effects for narrow redshift bins. Decreasing the redshift bin will increase the RSD effect in the auto-correlations. At  $l = 10$ ,  $z = 0.5$  and  $\Delta z = 0.01$ , the RSD increase the signal with 60%. In addition the linear RSD effect is reaching smaller scales for thinner bins. The right panel shows a substantial signal of cross-correlations between adjacent redshift bins. These cross-correlations have sufficient signal-to-noise (paper-I) and contribute significantly to the combined constraints (paper-II). Since this effect is zero in narrow redshift bins, it requires performing the exact calculations.

### 3. Forecasts

#### 3.1. Assumptions

The Fisher matrix forecast uses 2D-correlations in Fourier space (Cl) as observable and models the two surveys as separate galaxy populations (see Table 1). Observables are limited to  $l \leq 300$ , with additional cuts on low redshift to remove non-linear scales (paper-II) and the fiducial parameters are equal to the MICE simulations (Fosalba et al. 2008). To investigate the benefit of overlap, we define

$$\text{FoM}_S \equiv \frac{1}{\det[F_S^{-1}]} \tag{3.1}$$

$10^{-3} \text{FoM}_{\gamma w}$	Fiducial	fixBias	NoLens	NoRSD	NoBAO
FxB-All	31.5	189	5.86	14.7	21.7
F+B-All	20.8	157	4.69	9.22	13.3
Improvement	1.5	1.2	1.2	1.6	1.6
F-All	2.55	38.4	0.031	2.13	1.95
B-All	6.71	44.1	4.14	2.46	4.27
Improvement	1.2	0.99	1.1	1.1	3.4

FoM $\gamma$	Fiducial	xBias	No Lens	No RSD	No BAO
FxB-Counts	43	150	38	15	43
F+B-Counts	35	152	34	4.3	34
Improvement	1.2	0.99	1.1	3.4	1.3

**Table 2.** Subset of the forecast. The rows marked “All” includes galaxy counts and shear, while “Counts” only include galaxy counts. Here FxB and F+B respectively denote combining the surveys on overlapping and separate areas. On the columns, fiducial is the normal forecast, “xBias” fix the galaxy bias, “noLens” does not include weak lensing, “noRSD” perform all calculations in real space, while “noBAO” disable the BAO in the Eisenstein-Hu power spectrum. All numbers include Planck priors.

which extends the dark energy task force (DETF) FoM. The  $FoM_{w\gamma}$  with  $S = w_0, w_a, \gamma$  consider both dark energy and growth of structure, while  $FoM_{\gamma}$  with  $S = \gamma$  only focus on the growth. When estimating the FoMs, we marginalize over the DETF parameters and the galaxy bias. The bias model is scale-independent and depend linearly on the redshift. For each population, the bias in each bin is treated as a separate variable and without prior knowledge.

### 3.2. Results

Table 2 show as subset of the forecast results (paper-II). Weak lensing is the most important contribution (FxB-All), with RSD and BAO also contributing significantly. In the forecast, the overlapping surveys increasing the  $FoM_{w\gamma}$  with 50%, corresponding to 30% larger area. Comparing the first and second column, the benefit is stronger for an unknown bias, but is still present when fixing the bias. The benefit comes from additional cross-correlations and sample variance cancellation (paper-II and same-sky paper). In addition, the same-sky ratio is higher without RSD or BAO, because they constrains parameter combinations where the overlap otherwise would contribute. This highlights the importance of including all effects in the combined forecast.

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