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Each item is accompanied by a list of the pages on which it is cited, with the exception of our companion volume on rings and modules, [BK: IRM].

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