

ABUNDANCE EFFECTS FOR THE A0–G2 STARS IN THE GENEVA SYSTEM

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Abstract. The abundance effects on the tri-dimensional representation for the A0-G2 stars in the Geneva system are reviewed. B2–V1 and d are not affected by the Am characteristic, but B2–V1 is too blue (blocking effect on V1) and d smaller for the Ap stars. For B2–V1 ≥ 0.230 , we have a residual effect $\Delta(B2-V1) = 1.20 (\Delta m_2^* + 0.060)$. d is also affected and the residual effect is $\Delta d = -0.4 \Delta m_2$ for $\Delta m_2 \geq -0.060$ and $\Delta d = -1.1 \Delta(B2-V1) - 0.024$ for $\Delta m_2 < -0.060$.

The abundance effects on the relations between B2–V1 and the parameters of temperature in other systems are studied.

1. Introduction

A tri-dimensional representation for the A0-G2 stars of luminosity classes V to III was presented some years ago (Hauck 1968, 1973a). The following parameters are used:

B2–V1 as temperature parameter

$d = (U-B1) - 1.430 (B1-B2)$ as luminosity parameter

$m_2 = (B1-B2) - 0.457 (B2-V1)$ as blanketing parameter

and $[Fe/H] = 6.830 \Delta m_2 + 0.203$ for $[Fe/H] > -1.0$
 $\pm 0.16 \pm 0.961 \pm 0.097$

with $\Delta m_2 = m_2 (\text{star}) - m_2 (\text{Hyades})$

A review of the properties of the diagram d vs B2–V1 was given by Hauck (1975a). On this occasion an extension to the supergiants was proposed. Using such a diagram it is possible to distinguish the various classes of luminosity.

The colour index B2–V1 is well correlated with Θ_{eff} or with the spectral type. A recent calibration of B2–V1 for the main-sequence stars is given in Table I of Hauck and Magnenat (1975). The values of Θ_{eff} adopted for this calibration are taken respectively in the papers of Schild *et al.* (1971) and Oke and Conti (1966) for the first calibration and in the paper of Morton and Adams (1968) for the second. Calibrations for parameters of temperature in other photometric systems are also given in this table.

In the present paper we have examined abundance effects firstly on B2–V1 and d and secondly on the relations between B2–V1 and the parameters of temperature in other systems.

2. Abundance Effects on B2–V1

2.1. STARS WITH B2–V1 < 0.230 (A0–F5)

In this range of spectral types, we have the Ap stars and the Am stars. For the latter Hauck and van 't Veer (1970) have shown that no effect was present on B2–V1. On the other hand, for the Ap stars, Gerbaldi *et al.* (1974) have shown that B2–V1 is too blue and that this effect is due to a blocking effect on V1. B2–G is practically not affected by this effect and seems for Ap stars a good parameter of temperature. The following relation for normal stars was derived between B2–V1 and B2–G:

$$B2-G = 1.386 (B2-V1) - 0.437$$

2.2. STARS WITH B2–V1 > 0.230 (F5–G2)

In this range of spectral types, we have a residual effect of blanketing on B2–V1, if $\Delta m_2 \leq -0.060$. This effect is given by

$$\Delta(B2-V1) = 1.20 (\delta m_2 + 0.060)$$

δm_2 is the value determined before the correction on B2–V1, Δm_2 is the value obtained after the blanketing correction on B2–V1 and it is this value which is correlated with [Fe/H].

3. Abundance Effects on *d*

For the Am stars no abundance effects were detected on *d* (Hauck, 1967), while for the Ap stars, Gerbaldi *et al.* (1974) have shown that *d* is affected by the Ap characteristic, in the sense that many Ap stars have a smaller Balmer discontinuity (or a *d* value) than normal stars. This effect is certainly correlated with the blocking effect on V1 (Hauck 1975b). For stars with B2–V1 > 0.230, we have found (Hauck 1973a) that the residual blanketing effect on *d* is

$$\Delta d = -0.4 \Delta m_2 \text{ for } \Delta m_2 \geq -0.060$$

$$\Delta d = -1.1 \Delta(B2-V1) - 0.24 \text{ for } \Delta m_2 < -0.060$$

4. Abundance Effects on the Relations between B2–V1 and Temperature Parameters in Other Photometric Systems

Hauck and Magnenat (1975) have given for the main-sequence stars the relations between B2–V1 and B–V, R–I, *b–y*, H β , (G–I)₆, (B–I)₆, Y–V and Y–S parameters belonging respectively to *UBVRI*, *uvby β* , 6-colour and Vilnius systems.

In the present study, we have examined whether these relations are also valid for Am, Ap and subdwarf stars. For Am stars we have chosen only those with known spectral

types (Hauck, 1973b) and for Ap stars those belonging to the Osawa catalogue (1965). The subdwarfs are principally stars belonging to the lists of Cayrel (1968) and Sandage and Eggen (1959).

The result of our examination is given in Table I. It is important to note that it is only an indication concerning the validity (or the non-validity) of a relation between two colour indices and not an indication whether or not a blanketing effect is present on these indices.

TABLE I

$B2-V1$ vs:	$B-V$	$R-I$	$b-y$	$B-I$	$G-I$	$Y-V$	$Y-S$
for							
Am	●	●	○	○	●	●	●
Ap	●	○	○	○	○	●	●
Subwarfs	●	●	○	●	●	○	●

● the relation is not valid

○ the relation is valid

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DISCUSSION

Osborn: When you speak of 'subdwarfs' what do you consider as a subdwarf? Is it a star with $[Fe/H] < -0.5$, less than -1.0 , or what limit?

Hauck: The more deficient stars! With $[Fe/H] < -1.0$.