## CORRIGENDUM

## NOTE ON A THEOREM OF MYRBERG\*

## By J. GILLIS

On p. 421, line 30, of that note I remark " $\delta(x)$  is a lower semi-continuous function of x". That statement is, in general, untrue. The proof should rather run as follows:

The subset  $E_1^{(\alpha)}$  of  $E_1$  where  $\delta(x) \ge \alpha > 0$  is clearly closed and, as  $\alpha$  tends to 0,  $h - mE_1^{(\alpha)}$  tends to  $h - mE_1$ . Hence, by taking  $\alpha$  sufficiently small, we find a closed subset of  $E_1$ , of positive *h*-measure, every point *x* of which has the property that

 $h - m[E \times (x - d, x)] \leq 2h(d)$  and  $h - m[E \times (x, x + d)] \leq 2h(d)$ ,

whenever  $0 < d \leq \alpha$ . We may call this subset again  $E_1$  and the proof, from the top of p. 422, goes as before.

\* Proc. Cambridge Phil. Soc. 33 (1937), 419-24.

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