

# The late-type stellar density profile in the Galactic Center: A statistical approach

S. N. Chappell<sup>1</sup>, A. M. Ghez<sup>1</sup>, T. Do<sup>1</sup>, G. D. Martinez<sup>1</sup>, S. Yelda<sup>1</sup>,  
B. N. Sitarski<sup>1</sup>, J. R. Lu<sup>2</sup> and M. R. Morris<sup>1</sup>

<sup>1</sup>UCLA, Department of Physics and Astronomy, Los Angeles, CA, 90095, USA

<sup>2</sup>Department of Astronomy, University of California, Berkeley Berkeley, CA, 94720, USA

**Abstract.** The late-type stellar population in the Galactic Center was first predicted to reside in a dynamically relaxed cusp (power law slope ranging from 3/2 to 7/4). However, other works - which rely on models to correct for projection effects - have suggested a flat distribution instead. The need for this correction is due to the lack of information regarding the line-of-sight distances. With a two decade long baseline in astrometric measurements, we are now able to measure significant projected radial accelerations, six of which are newly reported here, which directly constrain line-of-sight distances. Here we present a statistical approach to take advantage of this information and more accurately constrain the shape of the radial density profile of the late-type stellar population in the Galactic Center.

**Keywords.** Galaxy: center, stars: late-type, techniques: astrometry, methods: statistical

## 1. Summary

The late-type stellar population ( $\sim 1$  Gyr) was initially theorized to lie in a dynamically relaxed cusp, with  $\gamma$ , the negative power law index, valued between  $\frac{7}{4}$  and  $\frac{3}{2}$  (Bachall & Wolf 1976, 1977). Observations since have shown a density profile that is flat, or  $\gamma \sim 0$  (Buchholz *et al.* 2009; Do *et al.* 2009, 2013a; Bartko *et al.* 2010). However these previous observations were limited due to a lack of information regarding the line-of-sight distances.

With a two decade long baseline in astrometric measurements, we are now able to directly constrain stellar line-of-sight distances through measuring projected radial accelerations,

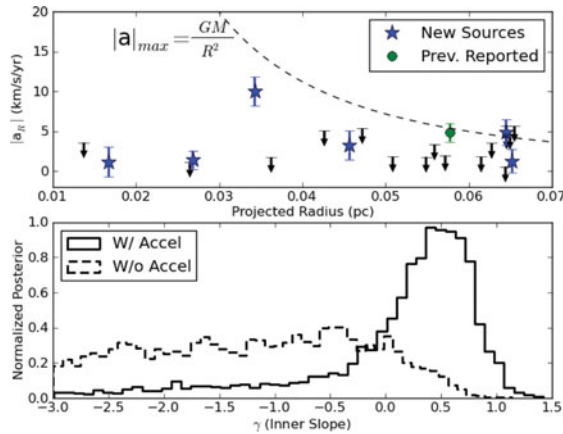
$$|z| = \left[ \left( \frac{GMR}{a_R} \right)^{2/3} - R^2 \right]^{1/2}. \quad (1.1)$$

where  $a_R$  is the projected radial acceleration and  $R$  is the projected distance. Projected radial accelerations are measured from fitting polynomials to our astrometric observations, assuming a Keplerian potential defined solely by Sgr A\* ( $M = 4.1 \times 10^6 M_\odot$  and  $r_{GC} = 8$  kpc, Ghez *et al.* 2008).

Seven of our 23 sources within 1.7 arcsec are found to have significant radial accelerations, and thus significant 3D distances, six of which are newly reported here (figure 1, top). As not all of our sources have significant 3D distances, in order to take advantage of all the available information, we employ a statistical approach to fit a broken power law density profile to our sample of late-type stars,

$$\rho \propto \left( \frac{r}{r_{break}} \right)^{-\gamma} (1 + (r/r_{break})^\delta)^{(\gamma-\alpha)/\delta} \quad (1.2)$$

where  $\gamma$ ,  $\alpha$ ,  $\delta$ , and  $r_{break}$  are the inner slope, outer slope, sharpness of the transition,



**Figure 1.** (Top) Measured radial accelerations vs projected distance. New and previously reported significantly accelerating sources designated by stars and circles respectively. Three sigma upper limits are shown with arrows for the sources with non-significant acceleration measurements, all of which are newly reported here. The dashed line shows radial accelerations when line-of-sight distance is zero. (Bottom) Normalized posterior for  $\gamma$ . The solid line shows the posterior from the statistical approach with acceleration information, while the dashed line shows with just projected positions (no acceleration information). Unlike the other posterior, the inclusion of acceleration information shows a clear peak at  $\gamma \sim +0.5$ .

and the break radius respectively. The sample includes the GCOWS fields within  $5''$  (Do *et al.* 2013a) and the projected positions between  $5''$  and  $15''$  from Schödel *et al.* (2010), to help constrain the outer parameters ( $\alpha$  and  $r_{break}$ ). We use Bayesian inference to fit for these parameters, the likelihood is set up such,

$$\mathcal{L} = \prod_i^{stars} \left( \int p(a_{R,i} | x_i, y_i, z, M_{BH}, R_0) p(x_i, y_i, z | \gamma, \alpha, \delta, r_{break}, M_{BH}, R_0) dz \right)^{p_{old}} \quad (1.3)$$

the probability of a star having a given projected radial acceleration ( $a_{R,i}$ ), times the probability of a star being at a given location, marginalized over the line-of-sight distance ( $z$ ), summed over our sample, and each star weighted by its probability of being late-type ( $p_{old}$ , Do *et al.* 2013a).

The resulting posterior for  $\gamma$  is shown in figure 1 (bottom). The inclusion of acceleration information results in a clear peak, a  $\gamma$  value of about  $+0.5$  is preferred, which suggests a cusp in the late-type stellar population that is shallower than initially theoretically predicted and steeper than previously suggested in observations.

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